## HIGHER SECONDARY MATHEMATICS - XI STANDARD

1. ELEMENTARY NUMBER THEORY

| S.No. | Content | Expected Outcome | Transactional Strategy |  |
| :---: | :---: | :---: | :---: | :---: |
| 1.1 | Divisibility in integers | Illustration c/b, b/a =>c/a; c/a, $c / b=>c /(a+b)$ <br> GCD and Euclidean algorithm: <br> Recognising algebraically wellordered sets; providing simple facts on prime numbers. Euler's function? (n) | Approach through elementary examples Fundamental Theorem of Arithmetic to be stated and illustrated | 20 |
| 1.2 | Numbers bases | Expressing positive integer using different bases Manipulation of change of bases Expressing rational numbers in decimal notation (by the method of successive remainders) | Only binary, base 8 and base 16 to be used for illustration |  |
| 1.3 | Number of congruence | Defining congruence relation in integers; recognizing $\equiv$ as equivalence relation | Using the concept of congruence to explain tests of divisibility by $2,3,4,6,7$ and 8 |  |


| 1.4 | Diphantine <br> equations | Identifying the <br> special nature of <br> such equations. <br> Applying the <br> concept to primitive <br> solutions of <br> Pythagorean <br> equation | Contribution of ancient Indian <br> mathematicians in this field to be <br> highlighted. |  |
| :--- | :--- | :--- | :--- | :--- |
| 1.5 | Some <br> famous <br> theorems | Statement and <br> verification of (i) <br> Fermat's theorem, <br> (ii) Wilson's <br> theorem, and (iii) <br> Chinese Remainder <br> theorem | Approach through simple numeric <br> examples no proof to be given |  |

## 1. COUNTING TECHNIQUES

| S.No. | Content | Expected Outcome | Transactional Strategy | No. of <br> Periods |
| :---: | :---: | :---: | :---: | :---: |
| 2.1 | Basic principles | i.Addition: If $\mathrm{S}=$ ? Y <br> $S_{i}$ where $S_{i}$ are disjoint, $\begin{aligned} & \text { ? } \mathrm{n}\left(\mathrm{~S}_{\mathrm{i}}\right) \\ & \text { ii.Product } \\ & \mathrm{n}(\mathrm{~S})= \\ & \mathrm{n}(\mathrm{~A})=\mathrm{p}, \mathrm{n}(\mathrm{~B})=\mathrm{q}, \\ & \mathrm{a} \text {, } \mathrm{A}, \mathrm{~b} \text { ? } \mathrm{A}, \mathrm{~b} \text { ? } \mathrm{B}=> \\ & \mathrm{n}(\mathrm{a}, \mathrm{~b})=\mathrm{pq} \\ & \text { iii.Inclusion \& } \\ & \text { Exclusion } \\ & \quad \mathrm{n}(\mathrm{AUB})= \\ & \mathrm{n}(\mathrm{~A})+\mathrm{n}(\mathrm{~B})-\mathrm{n}(\mathrm{AnB}) \\ & \text { iv.Pigeonhole } \\ & \text { principle }(\text { Satement } \\ & \text { only }) \end{aligned}$ | Use of Venn diagrams and tree diagrams to illustrate the principles | 20 |
| 2.2 | Permutati ons | Derivation and application of formulat ${ }_{n} \mathrm{P}_{\mathrm{r}}$ Applying permutation of repeated objects to solve problems. Computing circular permutations | After initial derivation, factorial notation to be used for simplification |  |


| 2.3 | Combinati <br> ons | Derivation of value <br> of $\mathrm{C}_{\mathrm{r}}$ <br> Application of the <br> formula derive above | Use of Pascal' s triangle to be encouraged <br> for easy understanding |  |
| :--- | :--- | :--- | :--- | :--- |
| 2.4 | Inductions | Stating and <br> interpreting the <br> principle of <br> mathematical <br> inductions. <br> Using it to prove <br> formulae and facts <br> Summation using ? n, <br> $? \mathrm{n}^{2}, ? \mathrm{n}^{3}$ | Know formula for ? $\mathrm{n}, ? \mathrm{n}^{2}, ? \mathrm{n}^{3}$ to be used <br> for motivation. <br> Skill of summation when n -th term of a <br> sequence is given to be introduced |  |
| 2.5 | Binomial <br> Theorem | Statement and proof <br> for a natural number <br> index Identifying the <br> relation among <br> binomial coefficients. | The pattern of coefficients in a binomial <br> expansion to be elicited from students |  |

## 2. MATRICS AND DETERMINANTS

| S.No. | Content | Expected <br> Outcome | Transactional Strategy | No. of <br> Periods |
| :--- | :--- | :--- | :--- | :--- |
| 3.1 | Matrix <br> Algebra <br> (with <br> entries in <br> R) | Defining a matrix and <br> identifying various <br> types of matrices; <br> computing order of a <br> matrix; <br> Performing Addition, <br> Scalar multiplication <br> and finding the <br> product of matrices | Illustrations and problems to be limited to <br> $3^{\text {rd }}$ order matrices only |  |
| 3.2 | Determinants | Evaluating <br> determinant of a <br> matrix (of order <br> not more than 3 by <br> 3), using properties <br> of determinants in <br> evaluating a <br> determinant, <br> multiplying two <br> determinants | Problems illustrating the properties to be <br> chosen for examples and exercise. | 15 |
| 3.3 | Inverse <br> matrix | Given a matrix (of <br> order not more <br> than 3 x 3) to <br> compute its <br> inverse, if it exists. | Question of existence to be discussed. |  |

## 3. ANALYTICAL GEOMETRY

| S.No. | Content | Expected Outcome | Transactional Strategy | No. of Periods |
| :---: | :---: | :---: | :---: | :---: |
| 4.1 | Loci | Defining Loci and solving loci problems | Pure geometrical notions to be starting points |  |
| 4.2 | Equations of lines | Point-slope, slopeintercept, two points $x-y$ intercepts, normal, parametric and general forms Computing length of perpendicular from (i) origin (ii) any point to a line | Graphical illustration to be given for better understanding of concepts |  |
| 4.3 | Family of lines | Solving problems connected with (i) concurrent lines, (ii) perpendicular lines, (iii) parallel lines and (iv) bisector lines. <br> Equation of a pair of lines and its interpretation | Illustrating how coordinatisation simplifies location of points of concurrence. |  |
| 4.4 | Equation of circles | Treating circle as a locus; deriving Equation $x^{2}+y^{2}=a^{2}$. diameter end points form, and the general from $x^{2}+y^{2}+2 g x+2 f y+c=0$ | Illustrating with simple problem to derive the equation, to find the center, radius etc. | 25 |
| 4.5 | Tangents | Deriving equation of tangent to a circle, computing the length of tangent segment, obtaining condition for tangency of a line and deriving the equation of chord of contact. | Comparison with pure geometrical approach. |  |
| 4.6 | Family of circles | Verifying conditions for circles to be (i) concerntric, (ii) touching and (iii) orthogonal. | Graphical illustration for making the concepts clear. |  |

## 4. ANALYTICAL GEOMETRY

| S.No. | Content | Expected Outcome | Transactional Strategy | No. of <br> Periods |
| :--- | :--- | :--- | :--- | :---: |
| 5.1 | Concept of <br> a sequence | Defining a <br> sequence (i) by a <br> rule, (ii) by a <br> recursive relation. <br> Defining and <br> identifying the limit <br> of a sequences. <br> Discriminating <br> bounded and <br> unbounded <br> sequences. | Idea of limit to be introduced by <br> geometrically representing the terms of a <br> sequene |  |
| 5.2 | Summation <br> of series | Statement of (i) <br> Binomial series for <br> a rational index (ii) <br> Exponential series <br> and (iii) logarithmic <br> series | Using in summations and computing <br> approximate values. | 15 |

## 5. TRIGONOMETRY

| S.No. | Content | Expected Outcome | Transactional Strategy | No. of Periods |
| :---: | :---: | :---: | :---: | :---: |
| 6.1 | Trigonometr ic Identifies | Deriving standard identities and applying them to simple situations to arrive at interesting results | Unit circle approach to be used and diagrammatic interpretation given | 25 |
| 6.2 | Signs of Tratios. | Identifying the dependence on the quadrant in which the angle terminates and fixings the sign | Treatment specific to (? -), ( $90 \pm$ ??), ( $180 \pm$ ? $),(270 \pm ? ?)$ |  |
| 6.3 | Compound angles | Deriving addition formulae for $(\mathrm{A}+\mathrm{B}),(\mathrm{A}+\mathrm{B}+\mathrm{C})$, multiple angles 2?, 3 ? and sub-multiple angles like $\mathrm{A} / 2$. Use of transformation of sums and products | Investigation such as: Is $\sin \left(30^{\circ}+60^{\circ}\right)=$ $\sin 30^{\circ}+\sin 60^{\circ}$ to be used for motivation. |  |


| 6.4 | Trigonometr ic Equations | $\begin{aligned} & \text { Solving equations } \\ & \text { of types: } \sin ?= \\ & \sin ? ? \\ & \text { Cos? = cos?, } \\ & \text { Tan=Tan, acos? } \\ & + \text { bsin? }=\text { c } \\ & \hline \end{aligned}$ | Restrictions for the solution set to be clearly brought out with examples. |  |
| :---: | :---: | :---: | :---: | :---: |
| 6.5 | Inverse trigonometri c functions | Defining the functions and deriving simple relations between them | Need for clear specification of domain to be illustrated |  |
| 6.6 | Properties of triangles | Deriving conditional identities (if( $\mathrm{A}+\mathrm{B}+\mathrm{C}=$ ? $)$ ) deriving Sine, Cosine, N apier, Area, Projection formulae | Applying these formulae to derive standard results regarding triangles |  |
| 6.7 | Solution of triangles | Solving SSS, SAS, SAA, SSA types. <br> (Ambiguous case excluded) | Problems to be very simple just to illustrate the concept. |  |

## 6. FUNCTIONS AND THEIR GRAPHS

| S.No. | Content | Expected Outcome | Transactional Strategy | No. of <br> Periods |
| :--- | :--- | :--- | :--- | :---: |
| 7.1 | Function of <br> a Real <br> variable | Discriminating <br> constants and <br> variables; <br> classifying intervals <br> as open and closed: <br> defining a <br> seighbourhood, <br> Defining a function <br> in several ways. <br> Representation of a <br> function in tabular. <br> Graphical and <br> formula forms. | Approach through numerical illustrations. <br> Function as (i) a rule and as (ii) a set of <br> ordered pairs. Identifying the domain, <br> codomain, range and image through <br> several examples. Vertical line tests for a <br> function |  |
| 7.2 | Constant <br> function and <br> linear <br> function | Graphing a constant <br> function <br> Computing the <br> slope of a linear <br> function | Entire concepts to be approached through <br> several examples of graphical <br> illustrations. | 25 |



| 7.10 | Inverse of a <br> function | Defining 1-1 onto <br> functions and the <br> inverse of a functon <br> $f$ | Relating inverse to symmetry of the graph <br> of $f$ |  |
| :--- | :--- | :--- | :--- | :--- |
| 7.11 | Miscellaneo <br> us functions | Concepts of explicit <br> \& implicit <br> functions, <br> parametric <br> functions and even <br> \& odd functions. | To be illustrated through examples both <br> analytic and graphical. |  |

## 7. DIFFERENTIAL CALCULAS

| S.No. | Content | Expected Outcome | Transactional Strategy | No. of Periods |
| :---: | :---: | :---: | :---: | :---: |
| 8.1 | Limits of a functions | Defining the limit of a function, stating fundamental results on limits, and recognizing important limits such as $\begin{array}{llll} \lim _{\lim } \frac{\frac{\mathrm{x}^{\mathrm{x}}-\mathrm{a}^{\mathrm{n}}}{}}{\lim ^{\mathrm{x}}-1} & \lim & \underline{\sin ?} \\ \mathrm{x}-0 & \mathrm{x}-\mathrm{a} & \mathrm{x}-0 & ? \\ \mathrm{x}-0 & \mathrm{x} & \end{array}$ $\begin{array}{\|llc} \lim \frac{\log (1+x)}{(1+\underline{1})^{x}} & & \\ \lim & & a^{x}-1 \\ x-0 & x & x-0 \\ x-0 & x & x \end{array}$ $\begin{aligned} & \lim _{x-0}(1+x) \\ & \hline \end{aligned}$ | Graphical approach and intuitive ideas to be exploited to explain the notion of limits. <br> Simple applications of stated resulted to be illustrated. | 30 |
| 8.2 | Contimuity of a functin. | Defining continuity; Interpreting continuity graphically, identifying discontinous functins | Illustrating testing of continuity in the case of all important functions discussed in the beginning chapter. |  |
| 8.3 | Concept of differentiation | Defining and interpreting geometrically, Recognising the relation between continuity and differentiability | Graphical and analytical examples to be discussed. |  |
| 8.4 | Differentiation techniques | Differentiatin from ${ }^{\text {st }}$ principlesl establishing rules for differentiation and deriving standard formula; Applying method of substitution Discussing logarithmic, implicit and parametric cases; differentiating successively (unto $3^{\text {rd }}$ order) | Multiple approaches to the same problem to be illustrated rule of Leibnitz not to be stated or used |  |

## 8. DIFFERENTIAL CALCULAS

| S.No. | Content | Expected Outcome | Transactional Strategy | No. of <br> Periods |
| :--- | :--- | :--- | :--- | :---: |
| 9.1 | Concept of <br> integration | Defining and identifying integral <br> as anti-derivative | Geometrical interpretation <br> for reverse of <br> differentiation to be given |  |
| 9.2 | Integration <br> techniques | Recognizing rules of integration; <br> statement of standard types, <br> integrating using method of <br> substitution, integrating by parts, <br> deriving and applying Reduction <br> formulae. | Integration of special types <br> to be dealt with are: | 20 |

## 9. HANDLING DATA

| S.No. | Content | Expected Outcome | Transactional Strategy | No. of <br> Periods |
| :--- | :--- | :--- | :--- | :--- |
| 10.1 | Measures of <br> central tendency | Given a frequent distribution, to <br> compute Mean, Median, Mode, <br> GM and HM | Recall of computing some <br> of these measures in the <br> case of raw data to be done <br> first |  |
| 10.2 | Measures of <br> dispersion | Computing Range, Standard <br> Deviation and Coefficient or <br> variation | Explanation through <br> geometrical interpretation <br> wherever possible |  |
| 10.3 | Interpolation | Discriminating Interpolation and <br> Extrapolation Forming difference <br> table for equal intervals, <br> Newton' s forward and backward <br> interpolation | Through simple examples, <br> guessing formulae by <br> polynomial method. | 15 |
| 10.4 | Concepts of <br> Probability | Approaching Probability <br> axiomatically identifying <br> mutually exclusive events, <br> independent events etc. statement <br> and verification of addtion <br> theorem and multiplication <br> theorem; Baye's Theorem; <br> applying conditional probability. | Only simple problems to <br> illustrate the concepts to be <br> used. |  |
|  |  |  | Total |  |

